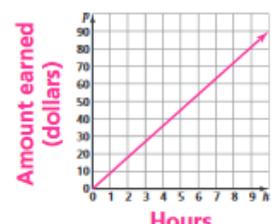


1. The amount p (in dollars) that you earn by working h hours is represented by the equation $p = 9h$. Graph the equation and interpret the slope.



$p = 9h$

$\begin{array}{r} 9 \overline{) 0} \\ \underline{0} \\ 0 \\ \underline{0} \\ 0 \end{array}$

You get paid \$9 per hour.

2. The cost c (in dollars) to rent a bicycle is proportional to the number h of hours that you rent the bicycle. It costs \$20 to rent the bicycle for 4 hours.

a. Write an equation that represents the situation.

$C = 5h$

b. Interpret the slope.

It cost \$5 an hour to rent a bicycle.

c. How much does it cost to rent the bicycle for 6 hours?

\$30

$C = 5(6)$

Handwritten notes on the left:
 $y = mx$
 $\frac{20}{4} = \frac{5}{1} m$
 $5 = m$

4.3 Graphing Proportional Relationships

Goal Today's lesson is graphing proportional relationships.

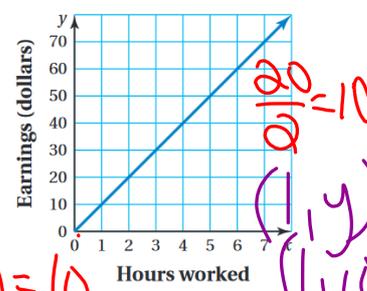
8.EE.5 8.EE.6

DO NOW Page 79 in your Journal.

1 ACTIVITY: Identifying Proportional Relationships

Work with a partner. Tell whether x and y are in a proportional relationship. Explain your reasoning.

a. Money

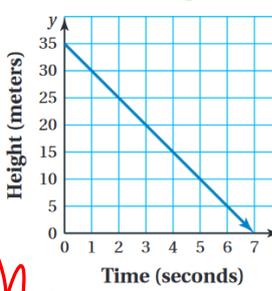


$m = \frac{10}{1} = 10$

Yes

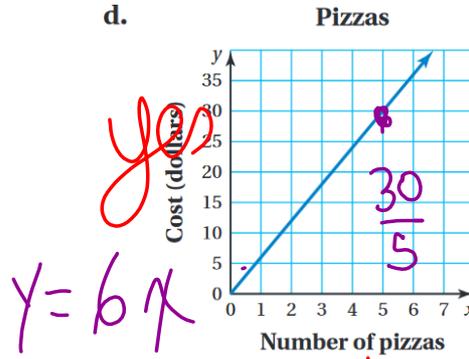
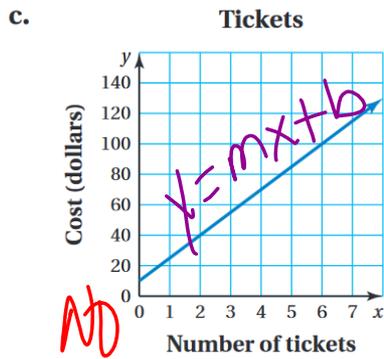
$y = mx$
 $y = 10x$

b. Helicopter



No

$y = mx + b$



e.

Laps, x	1	2	3	4
Time (seconds), y	90	200	325	480

Handwritten annotations: Red arrows connect (1,90) to (2,200) with '+1' above and '110' below. Another arrow connects (2,200) to (3,325) with '+1' above and '125' below. A red 'NO' and an 'X' are written below the table.

f.

Cups of Sugar, x	$\frac{1}{2}$	1	$1\frac{1}{2}$	2
Cups of Flour, y	1	2	3	4

Handwritten annotations: Red arrows connect (1/2, 1) to (1, 2) with '+1' above and '1' below. Another arrow connects (1, 2) to (1.5, 3) with '+1' above and '1' below. A red 'yes' is written above the table. A purple equation $y = 2x$ and a purple coordinate pair $(1, m)$ are written below the table.

2 ACTIVITY: Analyzing Proportional Relationships

Work with a partner. Use only the proportional relationships in Activity 1 to do the following.

- Find the slope of the line.
- Find the value of y for the ordered pair $(1, y)$.

What do you notice? What does the value of y represent?

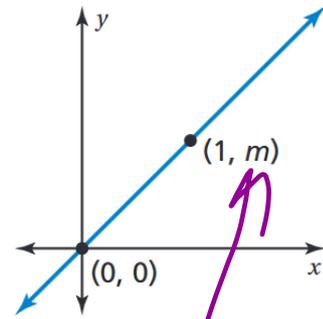
$(1, y)$

Key Idea

Direct Variation

Words When two quantities x and y are proportional, the relationship can be represented by the direct variation equation $y = mx$, where m is the constant of proportionality.

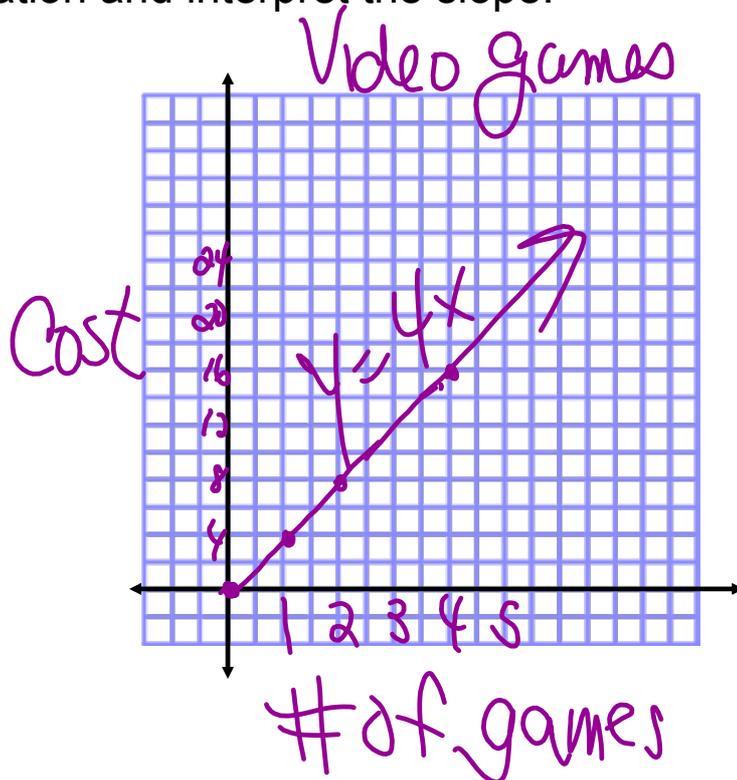
Graph The graph of $y = mx$ is a line with a slope of m that passes through the origin.



Slope

The cost y (in dollars) to rent x video games is represented by $y = 4x$. Graph the equation and interpret the slope.

x	y
0	0
1	4
2	8
3	12
4	16



The daily wage y (in dollars) of a factory worker is proportional to the number of parts x assembled in a day. A worker who assembles 250 parts in a day earns \$75.

a. Write an equation that represents the situation.

$$y = mx$$

$$\frac{75}{250} = \frac{250m}{250} \rightarrow m = 0.30$$

$$y = mx$$

$$y = 0.30x$$

b. How much does a worker earn who assembles 300 parts in a day?

$$y = 0.30x$$

$$y = 0.30(300)$$

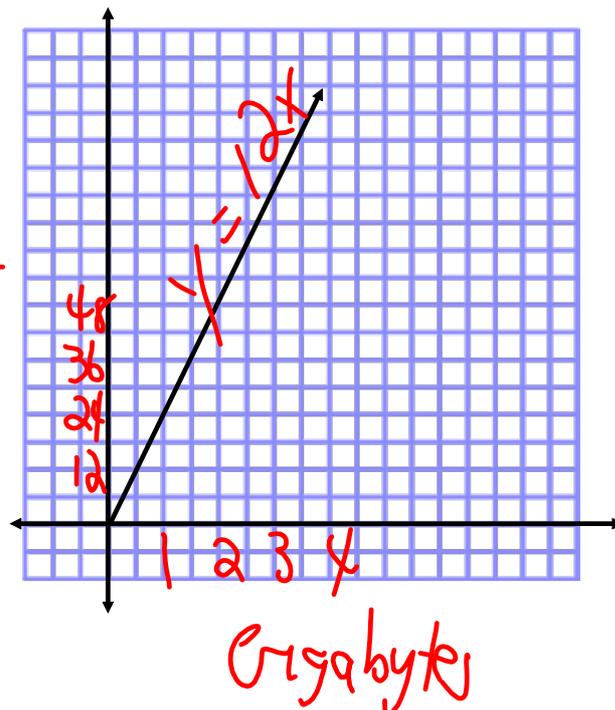
$$y = \$90$$

1. The cost y (in dollars) for x gigabytes of data on an Internet plan is represented by $y = 12x$. Graph the equation and interpret the slope.

$$y = 12x$$

x	y
0	0
1	12
2	24
3	36

Cost



2. The weight y of an object on Titan, one of Saturn's moons, is proportional to the weight x of the object on Earth. An object that weighs 105 pounds on Earth would weigh 15 pounds on Titan.

a. Write an equation that represents the situation.

$$15 = 105m \quad y = \frac{1}{7}x$$

$$\frac{1}{7} = m$$

b. How much would a spacecraft that weighs 3500 kilograms on Earth weigh on Titan?

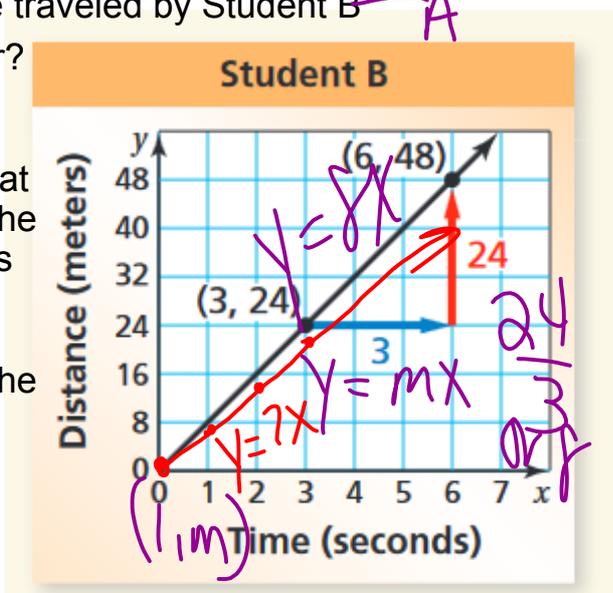
$$y = \frac{1}{7}x \quad y = \frac{1}{7}(3500) \quad y = \frac{500}{10}$$

At a track event, the distance y (in meters) traveled by Student A in x seconds is represented by the equation $y = 7x$. The graph shows the distance traveled by Student B

a. Which student is faster?

Student B

b. Graph the equation that represents Student A in the same coordinate plane as Student B. Compare the steepness of the graphs. What does this mean in the context of the problem?



x	y
0	0
1	7
2	14
3	21

3. The distance y (in miles) that a truck travels on x gallons gasoline is represented by the equation $y = 18x$. The graph shows the distance that a car travels.

a. Which vehicle gets better gas mileage? Explain how you found your answer

The car get better gas mileage.

Steeper slope or higher $m = 25$

b. How much farther can the vehicle you chose in part (a) travel than the other vehicle on 8 gallons of gasoline?

$$y = 18(8)$$

$$y = 144 \text{ mi}$$

$$y = 25(8)$$

$$y = 200 \text{ mi}$$

x	y
0	0
1	18
2	36
3	54
4	72

